

Economics 101A

(Lecture 19)

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Outline

1. Rent Control
2. Market Equilibrium in The Long-Run
3. Profit Maximization: Monopoly
4. Price Discrimination

1 Rent Control

- Rent control: Restrict increase of rent that can be charged
 - San Francisco + Berkeley: only 1-2% increase per year
 - Covers all rental units built before 1979
- Intent: Keep area affordable
- Consider graphically effect of Rent control

- Two costs of rent control:
 - Cost 1. Some units will not be rented
 - Cost 2. Existing units may be misallocated

2 Market Equilibrium in the Long-Run

- Nicholson, Ch. 12, pp. 425-435
- So far, short-run analysis: no. of firms fixed to J
- How about firm entry?
- Long-run: free entry of firms
- When do firms enter? When positive profits!
- This drives profits to zero.

- Entry of one firm on industry supply function $Y^S(p, w, r)$ from period $t - 1$ to period t :

$$Y_t^S(p, w, r) = Y_{t-1}^S(p, w, r) + y(p, w, r)$$

- Supply function shifts to right and flattens:

$$\begin{aligned} Y_t^S(p, w, r) &= Y_{t-1}^S(p, w, r) + y(p, w, r) \\ &> Y_{t-1}^S(p, w, r) \text{ for } p \text{ above } AC \end{aligned}$$

since $y(p, w, r) > 0$ on the increasing part of the supply function.

- Also:

$$Y_t^S(p, w, r) = Y_{t-1}^S(p, w, r) \text{ for } p \text{ below } AC$$

since for p below AC the firm does not produce ($y(p, w, r) = 0$).

- In the long-run, price equals minimum of average cost
- Why? Entry of new firms as long as $\pi > 0$
- ($\pi > 0$ as long as $p > AC$)
- Entry of new firm until $\pi = 0 \implies$ entry until $p = AC$
- Also:

$$\text{If } C'(y) = \frac{C(y)}{y}, \text{ then } \frac{\partial C(y)}{\partial y} = 0$$

- Graphically,

- Special case:
- **Constant cost industry**
- Cost function of each company does not depend on number of firms

3 Profit Maximization: Monopoly

- Nicholson, Ch. 11, pp. 371-380
- Nicholson, Ch. 14, pp. 501-510
- **Perfect competition.** Firms small
- **Monopoly.** One, large firm. Firm sets price p to maximize profits.
- What does it mean to set prices?
- Firm chooses p , demand given by $y = D(p)$
- (OR: firm sets quantity y . Price $p(y) = D^{-1}(y)$)

- Write maximization with respect to y
- Firm maximizes profits, that is, revenue minus costs:

$$\max_y p(y)y - c(y)$$

- Notice $p(y) = D^{-1}(y)$

- First order condition:

$$p'(y)y + p(y) - c'_y(y) = 0$$

or

$$\frac{p(y) - c'_y(y)}{p} = -p'(y)\frac{y}{p} = -\frac{1}{\varepsilon_{y,p}}$$

- Compare with f.o.c. in perfect competition
- Check s.o.c.

- Elasticity of demand determines markup:
 - very elastic demand \rightarrow low mark-up
 - relatively inelastic demand \rightarrow higher mark-up
- Graphically, y^* is where marginal revenue $(p'(y)y + p(y))$ equals marginal cost $(c'_y(y))$
- Find p on demand function

- Example.
- Linear inverse demand function $p = a - by$
- Linear costs: $C(y) = cy$, with $c > 0$
- Maximization:

$$\max_y (a - by)y - cy$$

- Solution:

$$y^*(a, b, c) = \frac{a - c}{2b}$$

and

$$p^*(a, b, c) = a - b \frac{a - c}{2b} = \frac{a + c}{2}$$

- S.O.C.

- Figure

- Comparative statics:

- Change in marginal cost c

- Shift in demand curve a

- Monopoly profits
- Case 1. High profits
- Case 2. No profits

- Welfare consequences of monopoly
 - Too little production
 - Too high prices

- Graphical analysis

4 Price Discrimination

- Nicholson, Ch. 14, pp. 513-519
- Restriction of contract space:
 - So far, one price for all consumers. But:
 - Can sell at different prices to differing consumers (**first degree** or perfect price discrimination).
 - Self-selection: Prices as function of quantity purchased, equal across people (**second degree** price discrimination).
 - Segmented markets: equal per-unit prices across units (**third degree** price discrimination).

4.1 Perfect price discrimination

- Monopolist decides price and quantity consumer-by-consumer
- What does it charge? Graphically,
- Welfare:
 - gain in efficiency;
 - all the surplus goes to firm

4.2 Self-selection

- Perfect price discrimination not legal
- Cannot charge different prices for same quantity to A and B
- Partial Solution:
 - offer different quantities of goods at different prices;
 - allow consumers to choose quantity desired

- Examples (very important!):
 - bundling of goods (xeroxing machines and toner);
 - quantity discounts
 - two-part tariffs (cell phones)

- Example:
- Consumer A has value \$1 for up to 100 photocopies per month
- Consumer B has value \$.50 for up to 1,000 photocopies per month
- Firm maximizes profits by selling (for ε small):
 - 100 photocopies for $\$100-\varepsilon$
 - 1,000 photocopies for $\$500-\varepsilon$
- Problem if resale!

4.3 Segmented markets

- Firm now separates markets
- Within market, charges constant per-unit price
- Example:
 - cost function $TC(y) = cy$.
 - Market A: inverse demand function $p_A(y)$ or
 - Market B: inverse function $p_B(y)$

- Profit maximization problem:

$$\max_{y_A, y_B} p_A(y_A) y_A + p_B(y_B) y_B - c(y_A + y_B)$$

- First order conditions:

- Elasticity interpretation

- Firm charges more to markets with lower elasticity

- Examples:
 - student discounts

 - prices of goods across countries:
 - * airlines (US and Europe)
 - * books (US and UK)
 - * cars (Europe)
 - * drugs (US vs. Canada vs. Africa)

- As markets integrate (Internet), less possible to do the latter.

5 Next Lecture

- Oligopoly?
- Game theory
- Back to oligopoly:
 - Cournot
 - Bertrand